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% gda02_04
%
% calculaion of mode and mean for a skewed pdf
% supports Figure 2.3

clear all;

% d-axis
Dd = 0.1;
N = 101;
d = Dd*[0:N-1]';
dmin=0;
dmax=10;

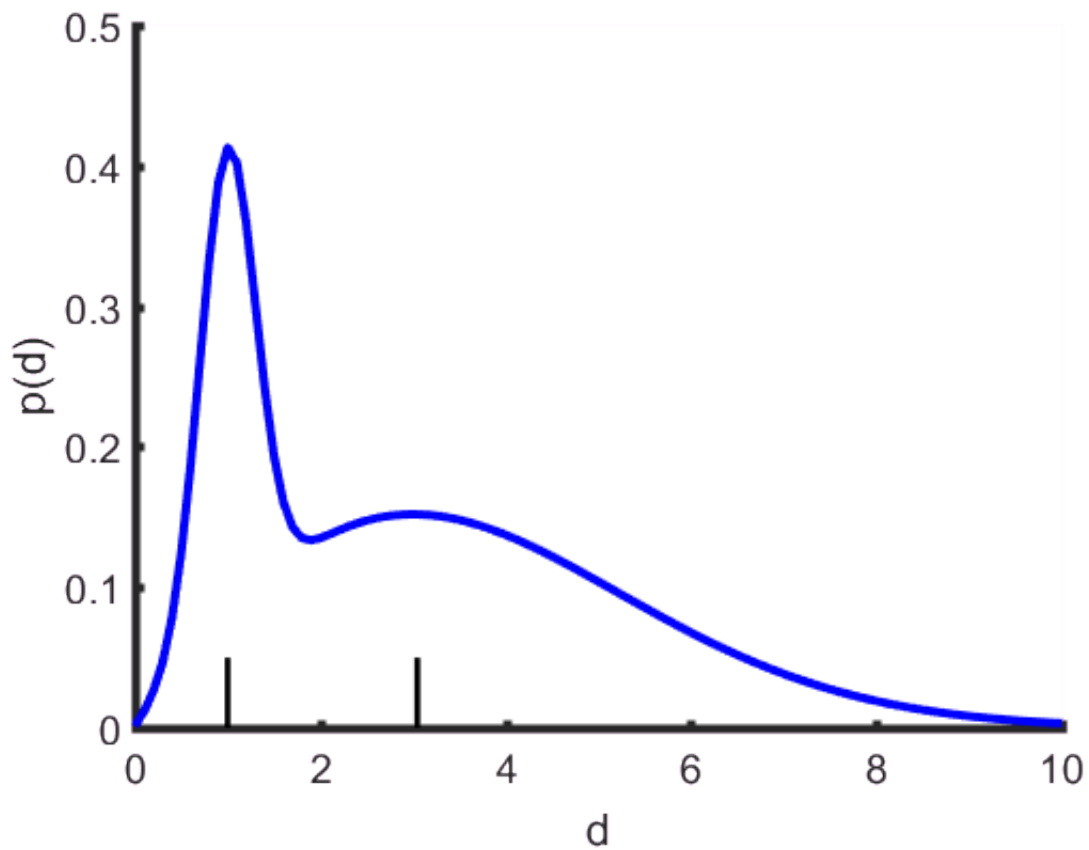
% Normal pdf
dbar = 0;
sd = 3;
p = d .* exp(-0.5*((d-dbar).^2)/sd^2);
dbar = 1;
sd = 0.3;
p = p + 4*exp(-0.5*((d-dbar).^2)/sd^2);
norm = Dd*sum(p);
p = p/norm;

% maximum liklihood point
[pmax, imax] = max(p);
dml = d(imax);

% mean
dbar = Dd*sum(d.*p);

% plot
figure(1);
clf;
set(gca, 'LineWidth', 3);
set(gca, 'FontSize', 14);
hold on;
axis( [dmin, dmax, 0, 0.5] );
plot(d,p, 'b-', 'LineWidth', 3);
xlabel('d');
ylabel('p(d)');
plot( [dml, dml]', [0, 0.05]', 'k-', 'LineWidth', 2 );
plot( [dbar, dbar]', [0, 0.05]', 'k-', 'LineWidth', 2 );

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% Figure 2.3 The maximum likelihood point dML of the probability density function p(d) gives  
% the most probable value of the datum d. In general, this value can be different than the  
% mean datum  $\langle d \rangle$  which is at the “balancing point” of the distribution. MatLab script gda02_04.
```