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% gda07_07
% depiction of feasible areas, for 4 cases
% supports Figure 7.8

clear all;

m1min=0;
m1max=2;
Nm1 = 41;
Dm1 = (m1max-m1min)/(Nm1-1);
m1 = m1min + Dm1*[0:Nm1-1]';

m2min=0;
m2max=2;
Nm2 = 41;
Dm2 = (m2max-m2min)/(Nm2-1);
m2 = m2min + Dm2*[0:Nm2-1]';

X = m1*ones(Nm2,1)';
Y = ones(Nm1,1)*m2';

% three inequality constraints
% m1-m2>=0      [1  -1] [0]
% 0.5*m1+m2>=1  [0.5  1] [1]
% m1>=0.2       [1    0] [0.2]

% in the last constraint, the 0.2 can be diddled
% right now this constraint does not affect the
% feasible region, but changing 0.2 to 1.2 cnages
% the region considerably

H = [ [1, 0.5, 1]'; [-1, 1, 0]' ];
h = [0, 1, 0.2]';

p=1;
C1 = zeros(Nm1,Nm2);
for i=[1:Nm1]
for j=[1:Nm2]
    m = [ m1(i), m2(j) ]';
    C1(i,j)=H(p,:)*m-h(p);
end
end
C1a = (C1>=0)+0.001;

p=2;
C2 = zeros(Nm1,Nm2);
for i=[1:Nm1]
for j=[1:Nm2]
    m = [ m1(i), m2(j) ]';
    C2(i,j)=H(p,:)*m-h(p);
end
end
C2a = (C2>=0)+0.001;

p=3;
C3 = zeros(Nm1,Nm2);
for i=[1:Nm1]
for j=[1:Nm2]
    m = [ m1(i), m2(j) ]';

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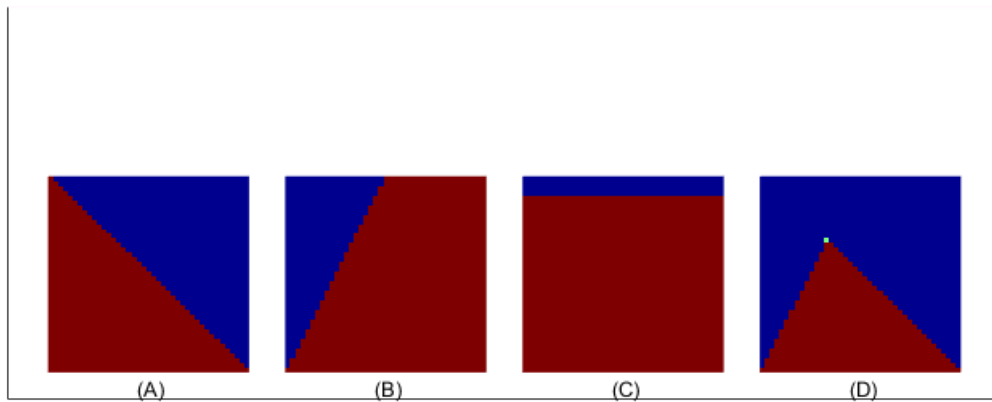
C3(i,j)=H(p,:)*m-h(p);
end
end
C3a = (C3>=0)+0.001;

CT = ((C1>=0)&(C2>=0)&(C3>=0))+0.001;

Gp = [H, h]';
dp = [zeros(1,length(H(1,:))), 1]';
mp = lsqnonneg(Gp,dp);

ep = dp - Gp*mp;
m = -ep(1:end-1)/ep(end);
imlest = floor((m(1)-m1min)/Dm1)+1;
jm2est = floor((m(2)-m2min)/Dm2)+1;
CT(imlest,jm2est)=0.5;
gda_draw(C1a,'caption (A)',' ',C2a,'caption (B)',' ',C3a,'caption (C)',' ',CT,'caption (D)');

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% Figure 7.8 Exemplary solution of the problem of minimizing  $mTm$  with  $N = 3$  inequality constraints  
 % (A–C) Each constraint divides the  $(m_1, m_2)$  plane into two half-planes, one feasible and the other infeasible.  
 % (D) The intersection of the three feasible half-planes is polygonal in shape. The solution  $m$  is the point in feasible area that is closest to the origin. Note that two of the three constraints are satisfied in the equality sense. MatLab script gda07\_07.

```

e=H*m-h;
for i=[1:3]
    fprintf('Constraint %d: Hm-h = %f\n', i, e(i) );
end

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Constraint 1: Hm-h = 0.000000
Constraint 2: Hm-h = -0.000000
Constraint 3: Hm-h = 0.466667

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